ABSTRACT

Iris images encryption based on QR code and chaotic map

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Keywords:

Binarization Histogram equalization Image encryption Logistic map QR code In this paper an Iris image is encrypted based on QR (quick response) code and chaotic map. The main idea of the proposed system is generating a QR code depending on the input text and then extract the features from QR code by using convolution, these features are used for key generation. After that the permuted iris image is encrypted by using generated key, after that the resulting image will be encrypts using 2D logistic map. The randomness of generated key is tested using the measures of NIST, and quality of images that encrypted in this method are tested by using security analysis tests such as PSNR, UACI, NPCR, histogram, correlation and entropy. The security analysis shows that the proposed system is secure for iris image encryption.

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1. INTRODUCTION

At this time, users attempt to select a shorter password to authenticate their accounts. The password may be easy forgotten and it can be easily attacked. Widely used technologies such as voice recognition, Bar-code, Fingerprint scanning, iris recognition and face recognition now play an important role, particularly in security-related applications [1]. The bar code is one dimensional and becomes illegible when damaged. Bar-code has some disadvantage like it stores only up to 20 digits. For this reason, in the bar code, we cannot store passwords or complex phrases, so it doesn't provide the best method for authentication. QR codes are 2D barcode can be read from any orientation and it has the ability to hold up to 4,296 characters alphabetically. Another feature of QR code is that it can be read after partly damaged. Make its feature of QR code very strong and popular in the security and advertising industry [2]. For this reason, QR code is chosen in this paper.

Several published works are related to the objectives of this work for example, Sim Hiew Moi et al. [1] present a new approach by using iris template to create a unique and more secure encryption key and used AES algorithm to encrypt and decrypt data of identity data. Tejas Mohod et al. [2] implement a system that takes properties of both iris and QR code; this enhances system isolation, cost effective and reliable security system. M. A. Murillo-Escobar et al. [3] proposed a new fingerprint template protection based on logistic map and Murillo-Escobar's algorithm. Mohammad Soltani and Amid Khatibi Bardsiri [4] proposed a hybrid algorithm for encryption and steganography, they generated the QR-code using input text and encrypted the resulting QR image using 2D logistic map then convert the encrypted QR to text, after that they encrypted the original text using AES algorithm and hiding it using LSB algorithm. Sruthi B. Asok et al [5] extracts a secret key from iris image and use it to encrypt data. Nishi Prasad et al. [6] Used three level of security for image encryption. They used logistic map, secret key cryptography, and QR codes. M. Mary Shanthi Rani and K. Rosemary Euphrasia [7] proposed an encryption method by using QR code for message encryption and

generate another QR code for authentication and hiding it in cover image. A. Husain and R. Ali [8] increased the security of finger print image based on QR code to extract encryption key. In this paper there is a weakness in the quality of encrypted image, so we suggest a modifying for this method to get better results.

In this paper, a new algorithm is proposed for Iris image encryption based on QR code feature extraction and chaotic map. This algorithm will increase the security of Iris image by using QR code to generate the key, high diffusion that provided by permutation method and the chaotic system that provides the confusion. The randomness of the key that generated using QR code was tested using NIST tests and proved to be efficient. The results of this work are compared with the results of [8] by histogram, entropy, UACI, NPCR, correlation and PSNR. The experimental results show that the proposed approach is more efficient and secure for iris image encryption. The reminder of this paper is arranged as follows. In section 2 the methods that used in proposed algorithm will be presented. In section 3 the proposed method is described in details. In section 4 QR key NIST tests will be display. The security analysis is shown in section 5. Finally, the conclusions are shown in section 6.

2. THEORETICAL BACKGROUND

2.1. Quick response code

The quick response (QR) Code was first designed by Japanese company for cars industry called Denso-Wave in 1994 to track car parts. QR code is kinds of bar-code that can be recognize using a bar-code reader. It can contain encoded information like website URLs, data, and texts, etc. Today, QR codes are widely used as it used in companies, businesses and government departments because of their reliability and ease of use [2, 9]. Also, QR can use in security purpose. The information contained in the code can be encrypted and decrypted by using special software ensuring better security. QR structure is shown in Figure 1. QR codes contain many areas that explain as follow:

- a) Finder pattern: It consists of 3 symmetrical structures at three corners of the QR code with one missing at the bottom right. Each pattern is based on a 3x3 matrix of black modules surrounded by white modules that are again surrounded by black modules. The finder patterns enable the decoder software to recognize the QR Code and determine the correct orientation [10].
- b) Timing pattern: this pattern for discovering the central coordinate of each data cell the QR code with black and white designs are placed alternately in two places horizontally and vertically between the finder patterns. even if the code is distorted partially or an error for the cell pitch, this allows accurate reading of central coordinates. It tracks the time of incoming code [11, 12].
- c) Alignment pattern: a model for correcting the distortion of the code. It is particularly efficient for correcting nonlinear distortions. The central coordinate of the alignment pattern will be discovered to correct the distortion of the symbol. For this purpose, an isolated black cell is directed in the conjunction pattern for getting it easy to detect the central coordinate of the alignment pattern [13].
- d) Quiet zone: this area empties from any markings. A margin space is needed for reading QR code rightly. This free zone makes the QR code symbol easy to read by the CCD sensor [14].
- e) Data area: in this area the QR code data and error correction code will be stored. The data area is represented by the grey area in Figure 1. The data will be encoded into 1's and 0's. The binary numbers will be converted into white and black cells and then will be arranged [14].



Figure 1. QR structure

2.2. Logistic map

A one-dimensional logistic map is described in the following equation:

$$x_{n+1} = \mu x_n (1 - x_n) \tag{1}$$

where x_n refer to the nth output and μ is the map's parameter and the range of it should be within the period (3.56, 4]. The initial value x_0 and μ can be used as a key of encryption [15]. While the 2D logistic has more complex behaviors in image encryption than a 1D logistic map for this reason this paper use it to encrypt images. 2D logistic map can be show as follow [4]:

$$x_{n+1} = r(3y_n + 1)x_n(1 - x_n)$$

$$y_{n+1} = r(3x_{n+1} + 1)y_n(1 - y_n)$$
(2)

where r is the parameter of system and (x_n, y_n) is is the pair-wise point at the n iteration. As shown in Figure 2 the scatter plot of 30,000 points of 2D logistic map using the parameter r = 1.19 and the initial value (x_0, y_0) at (0.8309,0.3342).



Figure 2. A trajectory of 2D logistic map [4]

3. PROPOSED SCHEME

The proposed scheme contains three main operations are: permutation, encryption with QR key and encryption with 2D logistic map. The general system structure is shown in Figure 3.

3.1. Permutation method

Permutation is most significant step in this algorithm. It works to block the high correlation among pixels of image to increase the security of image encryption algorithm. In this method we relied on scrambling rows and columns based on sum invariance of row and column through circular shift process. In the beginning it shifts each row in image by the total sum of the row and column's pixel values and save the result in a variable, and then implement the same method in each column and save the result in another variable. Finally, implement Xor operation between the two results. Figure 4 shown the plain iris image and the resulting image after permutation.

3.2. QR key generation

The first step is generating the QR code depending on the input text, then implement preprocessing operations such as histogram equalization and binarization on QR image. After that the features will be extracted from QR image by using convolution. These features are representing a random key which used to first encryption process.



Figure 3. General structure of proposed system

Figure 4. (a) Plain iris image, (b) Permuted iris image

3.3. Histogram equalization

It's a method for adjust image contrast. Let f be an image represented as a matrix r x c of integer pixel intensities ranging from 0 to L-1. Where L is the number of gray level values in image, often 256. Let p is the normalized histogram of f [16].

$$p_n = \frac{\text{number of pixels with intensity n}}{\text{total number of pixels}}$$
(3)

The histogram equalized image g will be defined by:

$$g_{i,j} = floor((L-1)\sum_{n=0}^{f_{i,j}} p_n)$$
(4)

in this paper, after transform any input text to QR code, the next step is histogram equalization and the result of this step shown in Table 1.

| | Table 1. Th | e result for QR o | code, histogram e | equalization and | binarization | |
|---------------------------|-------------|-------------------|-------------------|------------------|--------------|--------|
| No. bit of text | 8-bit | 16-bit | 24-bit | 32-bit | 40-bit | 48-bit |
| QR Code | | | | | | |
| Histogram Equalization | | | | | | |
| Binarization | | | | | | |

3.4. Binarization

Binarization is the process of convert a gray level image to binary image, this step is an important step to distinguish black-and-white module accurately in QR code images. So, we proposed use binarization operation to extract the features from QR image. In this method, the QR code is divided into 16x160-bit blocks. The value of the intensity of these blocks is analyzed and the pixel value is then determined as 1 if the pixel value is greater than the average intensity of that block, otherwise make it equal to 0. Table 1 shows the result of QR code, histogram equalization and binarization for number bit of text (8-bit, 16-bit, 24-bit, 32-bit, 40-bit, 48-bit).

3.5. Feature extraction using convolution

The convolution between two functions f(x), g(x) which we denote by (f * g)(t), the convolution gives the inverse Laplace transform of a product of two transformed functions, for this reason it's an important construct [17]:

$$L^{-1}(F(s) G(s)) = (f * g) (t)$$
(5)

If f(x), g(x) are causal functions then their convolution is defined by:

$$(f * g)(t) = \int_0^t f(t - r)g(r)dx$$
(6)

the proposed system used convolution for extract the features from QR code to generate random key. Table 2 shows the masks that used in convolution, and the best result histogram equalization and convolution illustrate in the Table 3.



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3.6. Encryption algorithm

Input: plain image (m), QR_key , $Logistic_key$ Output: encrypted image (E) Step1: read colored image (m) Step2: for $c\leftarrow 1$: size (m) $I_1\leftarrow$ circular_shift (sum (m (column))) end for $r\leftarrow 1$: size (m) $I_2\leftarrow$ circular_shift (sum (m (row))) end $p\leftarrow$ xor (I_1, I_2) Step3: $k\leftarrow$ xor (QR_key, p) Step4: $E\leftarrow$ xor ($Logistic_key, k$) Step5: end

4. SECURITY ANALYSIS

In this section we present a series of tests results to proof the effectiveness of the proposed scheme and compare the results with [8]. In this test we used dataset that captured by Michal Dobeš and Libor Machala. The dataset contains 3x128 iris images. The irises images were scanned using TOPCON TRC50IA optical device connected with SONY DXC-950P 3CCD camera [18]. The experiments are performed via Matlab R2013a on a computer with Intel Core i7 CPU 1.99 GHz, 8 GB of RAM.

4.1. QR key tests

After features extraction form QR code. The generated key is tested by NIST tests, and the results of key tests are illustrated in Table 4.

4.2. Histogram analysis

Histogram analysis is used to explain the diffusion and confusion characteristic of the encryption algorithm. Table 5 shown the difference in distributed of image among plain iris image, its permutation and its encryption.

4.3. Correlation analysis

The correlation between two adjacent pixels in the ordinary image is permanently strong, and the values of correlation are so close to 1. For this reason, the correlation must be reduce significantly in

coefficients for three directions horizontal, vertical, and diagonal, according to the following equations:

$$cov(x, y) = E\{(x - E(x))(y - E(y))\}$$
(7)

$$r_{xy} = \frac{\operatorname{cov}(x, y)}{\sqrt{D(x)}\sqrt{D(y)}}$$
(8)

$$E(x) = \frac{1}{N} \sum_{i=1}^{N} x_i$$
(9)

$$D(x) = \frac{1}{N} \sum_{i=1}^{N} (x_i - E(x))^2$$
(10)

in (3), x and y are the values of two neighboring pixels in the image, D(x) and E(x) are the variance and the expectation of x. N in (9) and (10) is the number of pixels in image. Figure 5 shown the horizontal, vertical and diagonal correlation coefficient in plain and encrypted iris image. Table 6 shown the results of correlation for sample of plain iris images and encrypted images and compared it with [8].

| No.Test TypeParameterize testNo. TestSuccess1G using SHA-1Approximate Entropy TEST255255BLOCK FREQUENCY TEST255255CUMULATIVE SUMS TEST510503Discrete FFT TEST255255Frequency TEST255255LEMPEL-ZIV COMPRESSION TEST255255Non periodic-templates3774035855random-excursions255255Serial2552552Linear CingruentialApproximate Entropy TEST12812Linear CingruentialBLOCK FREQUENCY TEST12812Linear CingruentialBLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | Failure 0 0 7 0 2 0 1885 0 | % 100% 98.6% 100% 99.2% 99.2% 100% 100% 95% |
|---|--|--|
| 1 G using SHA-1 Approximate Entropy TEST 255 255 BLOCK FREQUENCY TEST 255 255 CUMULATIVE SUMS TEST 510 503 Discrete FFT TEST 255 255 Frequency TEST 255 253 LEMPEL-ZIV COMPRESSION TEST 255 255 Non periodic-templates 255 255 overlapping-templates 37740 35855 random-excursions 255 255 Serial 255 255 2 Linear Cingruential Approximate Entropy TEST 128 123 CUMULATIVE SUMS TEST 256 248 123 LEMPEL-ZIV COMPRESSION TEST 128 123 LEMPEL-ZIV COMPREST 128 123 LEMPEL-ZIV COMPREST 128 123 LEMPEL-ZIV COMPREST 128 123 LEMPEL-ZIV COMPREST 128 0 | 0 0 7 0 2 2 0 0 1885 0 0 | 100% 100% 98.6% 100% 99.2% 99.2% 100% 100% 95% |
| BLOCK FREQUENCY TEST 255 255 CUMULATIVE SUMS TEST 510 503 Discrete FFT TEST 255 255 Frequency TEST 255 253 LEMPEL-ZIV COMPRESSION TEST 255 255 Non periodic-templates 255 255 overlapping-templates 37740 35855 random-excursions 255 255 Serial 255 255 2 Linear Cingruential Approximate Entropy TEST 128 123 CUMULATIVE SUMS TEST 256 248 Discrete FFT TEST 128 123 CUMULATIVE SUMS TEST 256 248 Discrete FFT TEST 128 123 CUMULATIVE SUMS TEST 256 248 Discrete FFT TEST 128 123 FREQUENCY TEST 128 123 LEMPEL-ZIV COMPRESSION TEST 128 0 | 0 7 0 2 2 0 0 1885 0 | 100% 98.6% 100% 99.2% 99.2% 100% 100% 95% |
| CUMULATIVE SUMS TEST510503Discrete FFT TEST255255Frequency TEST255253LEMPEL-ZIV COMPRESSION TEST255255Non periodic-templates255255overlapping-templates3774035855random-excursions255255Serial255255Serial2552522Linear CingruentialApproximate Entropy TEST128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128123FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST128123LEMPEL-ZIV COMPRESSION TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 7 0 2 2 0 0 1885 0 0 | 98.6% 100% 99.2% 99.2% 100% 100% 95% |
| Discrete FFT TEST255255Frequency TEST255253LEMPEL-ZIV COMPRESSION TEST255253linear-complexity255255Non periodic-templates255255overlapping-templates3774035855random-excursions255255Serial255255Serial255252Approximate Entropy TEST128128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128123FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 0 2 0 0 1885 0 | 100% 99.2% 99.2% 100% 100% 95% |
| Frequency TEST255253LEMPEL-ZIV COMPRESSION TEST255253linear-complexity255255Non periodic-templates255255overlapping-templates3774035855random-excursions255255Serial255255Serial255252Approximate Entropy TEST128123BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128123FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 2 2 0 1885 0 | 99.2% 99.2% 100% 100% 95% |
| LEMPEL-ZIV COMPRESSION TEST255253linear-complexity255255Non periodic-templates255255overlapping-templates3774035855random-excursions255255Serial2552552Linear CingruentialApproximate Entropy TEST128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128123FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 2 0 1885 0 | 99.2% 100% 100% 95% |
| linear-complexity255255Non periodic-templates255255overlapping-templates3774035855random-excursions255255runs255255Serial2552522Linear CingruentialApproximate Entropy TEST128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 0 0 1885 0 | 100% 100% 95% |
| Non periodic-templates255255overlapping-templates3774035855random-excursions255255runs255255Serial2552522Linear CingruentialApproximate Entropy TEST128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 0 1885 0 | 100% 95% |
| overlapping-templates3774035855random-excursions255255runs255255Serial2552522Linear CingruentialApproximate Entropy TEST128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128128FREQUENCY TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 1885 0 0 | 95% |
| random-excursions255255runs255255Serial2552522Linear CingruentialApproximate Entropy TEST128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 0 | |
| runs2552552Linear CingruentialApproximate Entropy TEST128128BLOCK FREQUENCY TEST128123123CUMULATIVE SUMS TEST256248Discrete FFT TEST128123FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 0 | 100% |
| 2Linear CingruentialSerial2552522Linear CingruentialApproximate Entropy TEST128128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 0 | 100% |
| 2Linear CingruentialApproximate Entropy TEST128128BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 3 | 98.8% |
| BLOCK FREQUENCY TEST128123CUMULATIVE SUMS TEST256248Discrete FFT TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 0 | 100% |
| CUMULATIVE SUMS TEST256248Discrete FFT TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 5 | 96% |
| Discrete FFT TEST128128FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 8 | 96.8% |
| FREQUENCY TEST128123LEMPEL-ZIV COMPRESSION TEST1280 | 0 | 100% |
| LEMPEL-ZIV COMPRESSION TEST 128 0 | 5 | 96% |
| | 128 | 0% |
| linear-complexity 128 128 | 0 | 100% |
| Non periodic-templates 18944 16675 | 2269 | 88% |
| overlapping-templates 128 128 | 0 | 100% |
| RANKTEST 128 128 | 0 | 100% |
| RUNS TEST 128 126 | 2 | 98.4% |
| SERIAL TEST 256 250 | 6 | 97.6% |
| 3 Blum-Blum-Shub Approximate Entropy 128 128 | 0 | 100% |
| BLOCK FREQUENCY TEST 128 125 | 3 | 97.6% |
| CUMULATIVE SUMS 256 253 | 3 | 98.8% |
| Discrete FFT 128 128 | 0 | 100% |
| FREQUENCY TEST 128 125 | 3 | 97.6% |
| LEMPEL-ZIV COMPRESSION TEST 128 128 | 0 | 100% |
| linear-complexity 128 128 | 0 | 100% |
| Non periodic-templates 18944 16705 | 2239 | 88% |
| overlapping-templates 128 128 | 0 | 100% |
| RANK TEST 128 128 | 0 | 100% |
| RUNS TEST 128 128 | 0 | 100% |
| SERIAL TEST 256 255 | 1 | 99.6% |
| 4 XOR Approximate Entropy 180 180 | 0 | 100% |
| BLOCK FREQUENCY TEST 180 180 | 0 | 100% |
| Discrete FFT 180 180 | 0 | 100% |
| CUMULATIVE SUMS 362 362 | 0 | 100% |
| FREQUENCY TEST 180 179 | 1 | 99.4% |
| LONGEST RUNS OF ONES TEST 180 180 | 0 | 100% |
| LEMPEL-ZIV COMPRESSION TEST 180 180 | 0 | 100% |
| RANK TEST 180 180 | 0 | 100% |
| NONPERIODIC TEMPLATES TEST 26788 21429 | 5359 | 70 0% |
| RUNS TEST 180 177 | | 17.770 |
| SERIAL TEST 362 357 | 3 | 98.3% |

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Figure 5. Correlation of two neighboring pixels in plain and encrypted iris image

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| Imagaa | Correlati | Correlation of proposed system | | | Correlation of A. Husain [8] | | |
|---------|------------|--------------------------------|----------|----------|------------------------------|----------|--|
| Intages | Vertical | Horizontal | Diagonal | Vertical | Horizontal | Diagonal | |
| | 0.0738 | 0.0836 | 0.0743 | 0.0138 | -6.6318e-04 | 0.01 | |
| | -0.0026 | -0.0015 | 0.0043 | 0.0743 | 0.0654 | -0.0529 | |
| • | 0.0040 | -3.1145e-04 | 0.0027 | -0.0041 | 0.0280 | -0.0143 | |
| | 3.5373e-04 | 0.0046 | 0.0034 | -0.0184 | 0.0544 | -0.0165 | |

Table 6. Comparing correlation coefficients of two neighboring pixels in the plain and encrypted images between proposed system and [8]

4.4. Information entropy analysis

One of the very important measure to compute the randomness is information entropy. It can be computed by:

$$H(m) = \sum_{i=0}^{2^{n}-1} p(m_i) \log_2 \frac{1}{p(m_i)}$$
(11)

in (11), m is a sample, n is the number of samples, and p(m) is the probability of symbol m. we can get the ideal value of H(m) according to (11) is 8, this mean that random information in image [21]. The values that we obtained of information entropy are closer to eight, this proof that the proposed scheme has well random. Table 7 illustrate the values of information entropy for the various plain and encrypted iris images and compared it with [8].

4.5. Resisting differential attack analysis

The attackers typically make a small change on the selected plain image and then note the changes in the encrypted image. Thus, they may be able to find a relationship between the plain and encrypted image [22]. In order to know the effect of changing a teeny portion of pixels in the normal image on the encrypted image, in this paper we used the number of pixels change rate (NPCR) and unified averaged changed intensity (UACI). The NPCR indicator can be used to know the number of different pixels that have the same location in the original image and in its encrypted image, and it is defined as follows:

$$NPCR = \frac{\sum_{i,j} D(i,j)}{w \times h} \times 100\%$$
(12)

here, w and h are the width and height of the image, C1(i, j) and C2(i, j) are the two encrypted images whose corresponding plain images I1 (i, j) and I2 (i, j) have only one-pixel value difference. D (i, j) = 0, if

C1 (i, j) = C2 (i, j); else D(i, j) = 1. The UACI indicator is used to know the effect on encrypted image if one pixel is changed in plain image, and it is defined as follows:

$$UACI = \frac{1}{w x h} \left(\sum_{i,j} \frac{|C_1(i,j) - C_2(i,j)|}{255} \right) x \ 100\%$$
(13)

the ideal value of NPCR and UACI are 99.61 and 33.46 [23, 24]. In this paper we implement NPCR and UACI measures on four color iris images and the results of the two indicators are close to ideal value. Table 8 shown the results of NPCR and UACI in proposed scheme and compare it with [8].

4.6. Peak signal to noise ratio (PSNR)

PSNR (peak signal to noise ratio) are more popular tests for image encryption algorithms; Peak signal-to noise ratio can be utilized to evaluate an enciphering scheme. It is a measurement that points the changes in pixel values between the plain image and the cipher image. The lower value of PSNR represents better enciphering quality. The PSNR formula is expressed in equation bellow:

$$PSNR = 10 \cdot \log_{10} \left[\frac{M \times N \times 255^2}{\sum_{i=0}^{M-1} \sum_{j=0}^{N-1} (P(i,j) - C(i,j))^2} \right]$$
(14)

where M is the width and N is the height of digital image. P(I, j) is pixel value of the plain image and C(I, j) is pixel value of the cipher image [25]. Table 8 shown the results of NPCR and UACI in proposed scheme and compare it with [8].

4.7. Encryption and decryption time analysis

The execution time of image encryption and decryption in proposed system and the comparison with [8] are explains in Table 9.

| Images | Entropy of plain images | Entropy of proposed system | Entropy of A. Husain [8] |
|-------------|-------------------------|----------------------------|--------------------------|
| • | 7.2342 | 7.9980 | 7.9974 |
| (\circ) | 7.1288 | 7.9989 | 7.9841 |
| • | 7.3204 | 7.9990 | 7.9971 |
| | 7.1772 | 7.9991 | 7.9974 |

 Table 7. Comparing Information Entropy of plain and encrypted iris image between proposed method and [8]

| Images | Proposed system A. Husain [8] | | | | | |
|-------------|-------------------------------|-------|--------|-------|-------|--------|
| inages | UACI | NPCR | PSNR | UACI | NPCR | PSNR |
| 0 | 33.45 | 99.62 | 7.9478 | 37.71 | 99.85 | 6.8802 |
| (\circ) | 34.27 | 99.62 | 7.5449 | 36.13 | 99.71 | 7.1288 |
| • | 35.75 | 99.60 | 7.1863 | 37.52 | 99.88 | 6.9512 |
| • | 34.73 | 99.56 | 7.4326 | 35.42 | 99.69 | 7.3138 |

| Table 8. Comparing | UACI, | NPCR | and PSNR | indicat | or of plain | and |
|--------------------|-------|------|----------|---------|-------------|-----|
| | | | | | | |

| Table 9. Compering encryption and decryption time in second between proposed system and [8 | 5] |
|--|----|
|--|----|

| Imaga | Propose | d system | A. Husain [8] | | |
|--------|-----------|-----------|---------------|-----------|--|
| Inlage | Enc. time | Dec. time | Enc. time | Dec. time | |
| | 2.5 | 2.5 | 1.5 | 1.5 | |

5. CONCLUSION

In this paper, the proposed scheme offers high resistance against differential and statistical attacks. Through the proposal iris image encryption algorithm based on the combination of permutation method, QR code and chaotic system has been introduced to provide high level of security for image encryption. Whereas the random permutation method provide high level of diffusion, and QR key provide high confusion. Also the use of chaotic system offer high randomness, key sensitivity, and confusion. The efficiency of this method has been confirmed through above experiment results. According to these results the proposed scheme offers high resistance against differential and statistical attacks.

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