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# Process Improvement of LSA for Semantic Relatedness Computing

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#### Abstract

Tang poetry semantic correlation computing is critical in many applications, such as searching, clustering, automatic generation of poetry and so on. Aiming to increase computing efficiency and accuracy of semantic relatedness, we improved the process of latent semantic analysis (LSA). In this paper, we adopted "representation of words semantic" instead of "words-by-poems" to represent the words semantic, which based on the finding that words having similar distribution in poetry categories are almost always semantically related. Meanwhile, we designed experiment which obtained segmentation words from more than 40000 poems, and computed relatedness by cosine value which calculated from decomposed co-occurrence matrix with Singular Value Decomposition (SVD) method. The experimental result shows that this method is good to analyze semantic and emotional relatedness of words in Tang poetry. We can find associated words and the relevance of poetry categories by matrix manipulation of the decomposing matrices as well.

Keyword: semantic relatedness, Latent Semantic Analysis, poetry category, singular value decomposition

#### 1. Introduction

Tang poetry, as a kind of Chinese classical literature, has a profound impact on China and even the world. Compared with the modern Chinese, ancient poetry, which conveyed all sorts of emotions by refined words, rhythmic syllables and various figures of speech, has special syntax. However, automatic analysis of ancient poetry, a part of Natural Language Processing (NLP) [1], has already been a hot issue, which involves various essential tasks, e.g., establishment of corpus [2], word segmentation [3], semantic analysis [4], vector space model [5], identification of poetry style [6], etc.

The ability to quantify semantic relatedness of words in poems should be an integral part of semantic analysis, and underlies many fundamental tasks in NLP, including information retrieval, word sense disambiguation, and text clustering, etc. In contrast to semantic similarity, which is the special case of relatedness, the notion of relatedness is more general than that of similarity like Budanitsky et al [7] argued, as the latter subsumes many different kind of specific relations, including metonymy, antonym, functional association, and others. In this paper we deal with semantic relatedness.

Semantic relatedness computing of natural language texts requires encoding vast amount of world knowledge. Until recently, prior work of linguistic resources using pursued two main directions. One is lexical databases such as WordNet [8], Wikipedia [9], encodes relations between words such as synonymy, hypernymy, and the other is large-scale text corpora, provide statistical corpus for computer learning like Latent Semantic Analysis (LSA) [10].

But in general computing of modern language semantic relatedness, the least resources used are knowledge-free approaches that rely exclusively on the corpus data themselves. Under the corpus-based approach, word relationships are often derived from their co-occurrence distribution in a corpus [11]. With the introduction of machine readable dictionaries, lexicons, thesauri, and taxonomies, these manually built pseudo-knowledge bases provide a natural framework for organizing words or concepts into a semantic space. Kozima and Furugori [12] measured word distance by adaptive scaling of a vector space generated from LDOCE (Longman Dictionary of Contemporary English). Morris and Hirst [13] used Roget's thesaurus to detect word semantic relationships. With the recently developed lexical taxonomy WordNet [14], many researches have taken the advantage of this broad-coverage taxonomy to study word/concept relationships [15].

However, Chinese language used in the ancient times was quite different from modern Chinese language and the nature of poetry. So, for tang poetry's special syntax and word limitation, present semantic relatedness computing of Tang poetry based on large-scale poetry corpora and word co-occurrence. HU, J. and YU, S. [16] defined a statistic model to extract contextual similarity words from the corpus based on 614 million chars of Chinese ancient poetry. Zhou, C. L. [17] computes words semantic relatedness by combining methods of latent semantic analysis (LSA) and mutual information (MI), which is general method in words relatedness of Chinese poetry.

Latent Semantic Analysis (LSA), a new algebraic model of information retrieval, is proposed by S.T. Dumais in 1988. Thus, it's a purely statistical technique, leverages word co-occurrence information from a large unlabeled corpus of text. Based on an assumption that each word's meaning in tang poems can be represented by its co-occurrence words for their regular co-occurrence in large-scale texts corpora, LSA does not rely on any human-organized knowledge; rather, it "learns" its representation by applying SVD to the words-by-poems co-occurrence matrix. So, we can imagine that how tremendous the size of this matrix is. In order to reduce the matrix for efficient and rapid computing, we proposed a method of process improvement, which aim to build a "words-by-poetry categories" co-occurrence matrix. In this paper, we mainly discuss about LSA, propose our process improvement based on the previous method as well.

The contributions of this paper are threefold. First, we propose to classify the poems by emotions, and then build a "words-by-poetry categories" co-occurrence matrix. Specifically, we introduce an improved method of LSA using in semantic relatedness computing of words in Tang poems. Second, we structure a matrix, which represent poems in corpus with much smaller size than previous method, and present specific methods for applying Single Value Decomposition (SVD) efficiently and rapidly. Finally, we propose the applications of result computed by this improved method.

#### 2. The Process Improvement of Relatedness Computing Method

Study the previous method to compute relatedness with LSA, We can find that it use information between words and poems. Thought association of words and poems can be measured, but complicated statistics shows up in the following aspects.

Firstly, it needs large-scale non-repetitive text corpora and the workloads of the collection and entry is heavy. Secondly, for the row vector is word vector, the preparatory work of segmentation and statistic are complicated, which should split and count words for each poem in corpus individually, and weights the frequency that each word appears in each poem as element of vector. Thirdly there are a mass of words, and the number of poems is vast as well, which makes matrix to be huge and have a strong impact on efficiency of operation. Finally, it can't prevent the zero angles of vectors caused by sparseness problem, and the number of sparse word is still a lot.

These first three factors above make the matrix large which cause lower computational efficiency. And the final sparseness problem influences the accuracy of calculation. In response to this semantic relatedness computing, we come up with a method of process improvement (as Figure 1), which is composed of two novel components: a new pattern for representing semantic of words in poems, and a new method for computing the semantic relatedness between words, even association between poetry categories.

The mainly improvement in this paper is that we use representation of words' semantic by "words-by-poetry categories" instead of "words- by-poems". Our hypothesis is that words which behave almost similarly in poetry categories are semantically related. For simple syntax of Tang poetry, the mainly feeling of poet is expressed by unified emotional words in poem.

Thus, our improved method consists of three main steps. First, construct matrix, the representation of words' semantic. Second, decompose matrix into three significant matrices by SVD. Finally, analyze the matrices and compute relatedness.

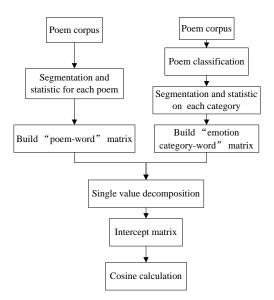


Figure 1. Previous method and process improvement method

#### 2.1 Construction of the Matrix

In improved representation, each word is mapped into a vector of corresponding row in matrix, and each column vector of matrix represents a poetry category. So, prior work fell into three steps. First, we can divide the set of Tang poetry into several categories, which is clarified by emotion. Second, split words and compute the time that each word appears in category for each category individually. Finally, we can build the matrix.

Specifically, the set of poetry can be divided into N categories, which have M words from segmentation. Thereby, we can build "words-by-poetry categories" matrix with size of M × N. The frequency that word i in poetry category of j can be expressed as fij, and the weight of word can be expressed as aij, so the matrix can be expressed as  $A = [a_{ij}]$ .

## 2.2 Singular Value Decomposition

In the construction of the matrix, we constructed the matrix to represent semantic of words in tang poetry, where, is local weight of the word i in the category j, g is global weight of the word i in the full texts (Tang poetry set). Because of a practical theorem that there must exist singular value decomposition (SVD) [18,19] for any nonzero matrix, so in the realization of LSA, we use a typical construction method of LSA / SVD, which based on building matrix space model to do the calculation of singular value decomposition.

#### 2.2.1 Theorem

Let  $A \in R_r^{m \times n}[C_r^{m \times n}]$ . Then there exist orthogonal unitary matrices  $U \in R^{m \times n}[C^{m \times n}]$  and  $V \in R^{m \times n}[C^{m \times n}]$  such as that

$$A = U\Sigma V^T [U\Sigma V^H]$$

where

$$\Sigma = \begin{pmatrix} S & 0 \\ 0 & 0 \end{pmatrix}$$

and  $S = diag[\sigma_1, \sigma_2, ..., \sigma_r]$  with  $\sigma_1 \ge ... \ge \sigma_r > 0$ .

# 2.2.2 Main algorithms of singular value decomposition Algorithms I

 Find the eigenvalues and eigenvectors of A'A as A'A = Vdiag (Σ², O) V', V = (V<sub>I</sub>, V₂)

 $V_1$  is an orthogonal matrix with size of m × r;

- Compute  $U_i = AV_i \Sigma^{-1}$ ,  $U_i$  is an orthogonal matrix with size of n × r.
- Extended  $U_l$ , then get an orthogonal matrix with size of  $n \times n$ :  $U_{m \times m} = (U_l, U_2)$
- Finally, we can find  $A_{m\times n}=U_{m\times m}\Sigma_{m\times n}V'_{n\times n}$

# Algorithms II

Transfer A into a pair of diagonal with Householder method, which means that there exist n × n orthogonal matrix P and m × m orthogonal matrix Q, which can realize:

$$PAQ = \begin{pmatrix} E \\ O \end{pmatrix}$$

Where E is Doubly Diagonally Matrix (other than the elements in diagonal and secondary-diagonal, the remaining are zero).

 Using deformation of QR method and iterative computation reduce the elements of secondary-diagonal of E to zero gradually, so realize the diagonalization of matrix, and finally get result of SVD. Deformation of QR method is based on the approach of QR decomposition to find general matrix eigenvalues and eigenvectors.

# 2.3 Analysis of intercept matrix

LSA is essentially a dimensionality reduction technique that allow to obtain the largest singular value k ( $k \le r \le n \le m$ ) to reduce the size of U, V. The matrix  $A_k$ , product of matrices  $U_{m \times k}$ ,  $D_{k \times k}$  and  $V_k'_{\times n}$ , is generate from the interception, can represent the original matrix approximately as shown in follow.

From that we can get three smaller matrices with clear meaning,  $U_{m\times k}$  shows the relative feature between the words,  $V'_{k\times n}$  shows the poetry classes as well, and the middle matrix shows the importance of different columns in  $U_{m\times k}$ .

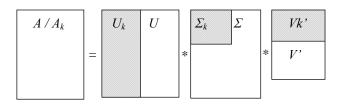


Figure 2. Matrix after Intercept

So, we can calculate the relatedness of two words by corresponding rows in product of  $U_{m \times k}$  and  $\Sigma_{k \times k}$ , which can be expressed as  $U_{m \times k} \times \Sigma_{k \times k}$ , and the value is represented by cosine of corresponding vectors. The more cosine close to 1, the higher correlation is. On the contrary, the more cosine close to 0, the less correlation is. Similarly, we can calculate relatedness between two classes by every two columns in  $V'_{k \times n}$ . The more cosine close to 0, the less correlation between categories and the poetry division is more reasonable.

According to this law, we can do some judgment of relatedness as follow. One is about poetry classification, which can give reference to find out whether category division is scientific or not. If the relatedness between two certain categories is higher, so for these two categories probably is being classified basing on the different facts, which will break the rationality of classification. Such as "separation" and "sadness", they are different kinds which are classified on the different facts, because almost every separation poem is sad. The other is relatedness of words, which compute by the cosine calculating of row vectors in  $U_{m \times k} \times \Sigma_{k \times k}$  matrix, can

determine the strength of semantic relatedness between words, provide the basis for establishment of words related libraries of emotions, and emotions unified judgment of automatically generated Tang poetry.

# 3. Experimental Procedure and Analysis of Results

In this section we implement our improved method in our experiments, provides the experimental result, and compare empirical evidence that contribute to measuring semantic relatedness of words to previous method. Finally, we analyse matrixes come from singular value decomposition of original matrix.

We implemented our LSA approach using more than 40,000 poems as local poetry corpus at the beginning. Then divide poems into 11 categories based on knowledge of literature, includes patriotic, war, farewell, seasons, weather, love, plant, nostalgia, festivals, rural reclusion, landscape. Each poem can be divided into several different categories for its emotion diversity.

#### 3.1 Segmentation and statistics

Classification, we can implement segmentation, statistics, and frequency weighting for each category, and get word weights at last. The Table 1 shows a part of weighting result of farewell category.

Table 1. Segmantation and Statistis Result of Categories

| No | Word          | frequency | weight |
|----|---------------|-----------|--------|
| 1  | a thousand li | 16        | 127.04 |
| 2  | white cloud   | 10        | 82.90  |
| 3  | Qingshan      | 8         | 76.56  |
| 4  | spring breeze | 12        | 66.48  |
| 5  | old friend    | 10        | 66.30  |
| 6  | Miles         | 7         | 62.30  |
| 7  | Where         | 11        | 57.64  |
| 8  | Willows       | 8         | 53.92  |

We compare our representations and statistics of segmentation to previous approach, which reduce the time of implementation like this work, find it has been shown to be significantly superior to other approaches. For hypothesis that words which behave almost similarly in poetry categories are semantically related, we just do this work for each category instead of each poem individually. So, the time of segmentation and statistics can be reduced from the number of poems to the number of category. The weight of each word corresponds to the word's importance to each emotional category.

Table 2. Construction of the Frequency Matrix

|             | patriotic | War      | Farewells | season  | weather | love    | plant   | nostalgia | festival | Hermit | landscape |
|-------------|-----------|----------|-----------|---------|---------|---------|---------|-----------|----------|--------|-----------|
| Homeless    | 28.9200   | 0.0000   | 14.4600   | 0.0000  | 14.4600 | 0.0000  | 0.0000  | 14.4600   | 14.4600  | 0.0000 | 0.0000    |
| Han Dynasty | 43.5000   | 130.5000 | 14.5000   | 14.5000 | 0.0000  | 0.0000  | 14.5000 | 14.5000   | 14.5000  | 0.0000 | 0.0000    |
| Yinshan     | 42.7800   | 71.3000  | 0.0000    | 0.0000  | 14.2600 | 0.0000  | 0.0000  | 14.2600   | 0.0000   | 0.0000 | 0.0000    |
| Miles       | 34.3700   | 4.9100   | 62.3000   | 24.5500 | 4.9100  | 24.5500 | 14.7300 | 0.0000    | 9.8200   | 9.8200 | 9.8200    |
| Chang an    | 34.0000   | 17.0000  | 34.0000   | 8.5000  | 25.5000 | 25.5000 | 17.0000 | 42.5000   | 8.5000   | 0.0000 | 8.5000    |
| White jade  | 33.6900   | 0.0000   | 11.2300   | 0.0000  | 0.0000  | 0.0000  | 33.6900 | 11.2300   | 0.0000   | 0.0000 | 0.0000    |
| Xianyang    | 32.5800   | 0.0000   | 10.8600   | 0.0000  | 10.8600 | 0.0000  | 0.0000  | 21.7200   | 0.0000   | 0.0000 | 0.0000    |
| Loyalty     | 31.5200   | 0.0000   | 0.0000    | 0.0000  | 0.0000  | 0.0000  | 0.0000  | 0.0000    | 7.8800   | 0.0000 | 0.0000    |
| Peking      | 29.9400   | 0.0000   | 9.9800    | 0.0000  | 9.9800  | 0.0000  | 0.0000  | 0.0000    | 19.9600  | 9.9800 | 0.0000    |
| Inch        | 29.5600   | 0.0000   | 0.0000    | 0.0000  | 0.0000  | 7.3900  | 0.0000  | 0.0000    | 0.0000   | 0.0000 | 0.0000    |
| gray hair   | 26.9000   | 0.0000   | 0.0000    | 10.7600 | 5.3800  | 16.1399 | 0.0000  | 5.3800    | 16.1399  | 0.0000 | 10.7600   |
| Gold        | 19.2000   | 9.6000   | 24.0000   | 14.4000 | 0.0000  | 4.8000  | 9.6000  | 19.2000   | 9.6000   | 4.8000 | 0.0000    |

#### 3.2 Matrix construction Analysis

After segmentation and weighting, we merge duplicate of words and build the matrix as Table 2 showing. In order to avoid the influence of sparse words on the calculation accuracy, we excluded some word with both lower weight and frequency.

In order to improve the accuracy of relatedness computing of words show in several categories, we excluded words only appear in one category. Finally, we build a 2889 \* 11 matrix of high-frequency words, which is much less than previous matrix.

We compare the result of matrix construction to previous approach, this improved method reduces the number of column sharply, and the size of matrix decrease from "words x poems" to "word x categories". However, whenever we add poems to local corpus in previous approach, the size of this matrix will increase in the meantime, but it won't in improved method.

#### 3.3 Analysis of Matrices after SVD

Matrix construction is the base to the next work. As we introduced in the second section, after matrix construction, we can decompose matrix by single value decomposition into 3 matrixes:

$$X_{t \times d} = T_0 \sum_{t \times r} \sum_{r \times d} V_0$$

With the algorithms introduced in third section we decompose matrix into T,  $\Sigma$ , V matrices as Table 3 shows (It's only a part of matrix).

Table 3. Matrices of U, Σ, V

| Table 6: Mathees 61 G, Z, V |                    |         |         |         |  |  |  |  |  |
|-----------------------------|--------------------|---------|---------|---------|--|--|--|--|--|
| Matrix of U                 |                    |         |         |         |  |  |  |  |  |
| 0.0442                      | -0.0451            | 0.1833  | -0.0158 | -0.0445 |  |  |  |  |  |
| 0.0792                      | -0.0838            | 0.2695  | -0.0278 | -0.1279 |  |  |  |  |  |
| 0.0428                      | -0.0726            | 0.1698  | -0.0056 | -0.0574 |  |  |  |  |  |
| 0.0576                      | 0.0340             | 0.0062  | -0.0100 | 0.0009  |  |  |  |  |  |
| 0.0842                      | -0.0523            | 0.0053  | -0.0153 | 0.0144  |  |  |  |  |  |
|                             | Matrix of $\Sigma$ |         |         |         |  |  |  |  |  |
| 819.82                      | 0.00               | 0.00    | 0.00    | 0.00    |  |  |  |  |  |
| 0.00                        | 434.17             | 0.00    | 0.00    | 0.00    |  |  |  |  |  |
| 0.00                        | 0.00               | 387.36  | 0.00    | 0.00    |  |  |  |  |  |
| 0.00                        | 0.00               | 0.00    | 369.27  | 0.00    |  |  |  |  |  |
| 0.00                        | 0.00               | 0.00    | 0.00    | 353.02  |  |  |  |  |  |
| Matrix of V'                |                    |         |         |         |  |  |  |  |  |
| 0.1780                      | -0.1856            | 0.2090  | 0.0149  | -0.0886 |  |  |  |  |  |
| 0.2368                      | -0.2177            | 0.8174  | -0.0919 | -0.2895 |  |  |  |  |  |
| 0.4637                      | 0.1740             | -0.1633 | -0.8231 | 0.0979  |  |  |  |  |  |
| 0.4114                      | 0.3867             | 0.1215  | 0.4053  | 0.2429  |  |  |  |  |  |

Table 4. Cosine Calculation of  $U_{M\times K} \times \Sigma_{K\times K}$ 

| Wanderer     | Farewell          | 0.973729  |               | run amuck         | 0.9673017 |
|--------------|-------------------|-----------|---------------|-------------------|-----------|
|              | a few words       | 0.973729  |               | Ryongson          | 0.9657026 |
|              | Separate          | 0.973729  |               | War               | 0.9635461 |
| wealthy      | Nothingness       | 0.9622504 | - Han Dimashi | Huanglong         | 0.9635461 |
|              | Competed          | 0.9622504 | Han Dynasty   | Border-fortress   | 0.9635461 |
|              | gentle and simple | 0.9622504 |               | grape             | 0.9635461 |
| golden armor | Loulan            | 0.9847319 | _             | battlefield       | 0.958317  |
|              | Qinghai           | 0.9689628 |               | desert            | 0.9571064 |
| hero         | Resurgence        | 0.9831921 |               | how can           | 0.9843091 |
|              | Luxury            | 0.9831921 | oounts.       | much difficulties | 0.9707253 |
|              | Xi Shi            | 0.9708392 | country       | Karlaua           | 0.9683641 |
|              | Weeds             | 0.9697423 |               | hero              | 0.9558059 |

As we described in last section, the value of cosine calculate by two lines of  $U_{m \times k} \times \Sigma_{k \times k}$  matrix, represent the correlation of words. The greater the value is, the more closely relatedness is between words. So, we can find some associated words shown in Table 4. **Error! Reference source not found.** The similar distribution in categories of two words can show the similar emotion they have.

#### 3.4 Additional Information

Besides computing the semantic relatedness of words from matrix decomposed by SVD, Table 5 show the cosine calculation result of V matrix, in which element (i, j) show the correlation between i and j categories. As we can see in the table, farewell categories have higher association with others, but it's limited to 10-16 magnitude, which is approximately equal to 0, almost irrelevant.

It can be seen from experiment data above that through the semantic relatedness computing of words by process improved method, we can find out associated word in emotion. Meanwhile, we can judge whether the classification is reasonable from analyzing the *V* matrix.

|           | Table 5. Cosine Calculation of Viviating |           |        |         |      |       |           |          |        |           |
|-----------|--|-----------|--------|---------|------|-------|-----------|----------|--------|-----------|
|           | war                                      | Farewells | season | weather | love | plant | nostalgia | festival | Hermit | landscape |
| Patriotic | 0.38                                     | 0.27      | 0.24   | 0.26    | 0.21 | 0.20  | 0.37      | 0.22     | 0.15   | 0.25      |
| War       | 0.00                                     | 0.27      | 0.27   | 0.30    | 0.15 | 0.13  | 0.28      | 0.18     | 0.08   | 0.20      |
| Farewells | 0.00                                     | 0.00      | 0.44   | 0.44    | 0.29 | 0.33  | 0.38      | 0.36     | 0.25   | 0.38      |
| Season    | 0.00                                     | 0.00      | 0.00   | 0.54    | 0.35 | 0.43  | 0.31      | 0.34     | 0.26   | 0.41      |
| Weather   | 0.00                                     | 0.00      | 0.00   | 0.00    | 0.29 | 0.33  | 0.30      | 0.32     | 0.21   | 0.34      |
| Love      | 0.00                                     | 0.00      | 0.00   | 0.00    | 0.00 | 0.31  | 0.27      | 0.25     | 0.12   | 0.21      |
| Plant     | 0.00                                     | 0.00      | 0.00   | 0.00    | 0.00 | 0.00  | 0.25      | 0.30     | 0.19   | 0.28      |
| Nostalgia | 0.00                                     | 0.00      | 0.00   | 0.00    | 0.00 | 0.00  | 0.00      | 0.31     | 0.16   | 0.29      |
| Festiva   | 0.00                                     | 0.00      | 0.00   | 0.00    | 0.00 | 0.00  | 0.00      | 0.00     | 0.20   | 0.24      |
| Hermit    | 0.00                                     | 0.00      | 0.00   | 0.00    | 0.00 | 0.00  | 0.00      | 0.00     | 0.00   | 0.32      |

Table 5 Cosine Calculation of V Matrix

#### 3.5 The Limitation of Improved Method

Although we have seen many results in which process improved method of LSA performs better than that before, we also present in this work some examples in which it performs weak.

One of the strength of the method sometimes also serves as its weakness. Although it's outstanding in finding the relatedness of words by their similar behavior in different categories, a prominent problem is that it is weak on figuring out the relatedness of words appear in one category merely with lower weight. So it's a problem caused by word sparse as well.

In my opinion, this lower frequency words is hard to use in poem creating, and have lower semantic relatedness with most words. Once we use it in the calculation, accuracy will be affected. In this case, a possible solution to improve accuracy can combine the other method such as MI, we can get overlap data of two methods as final result. And it can be seen that semantic relatedness computing of tang poem still have a long way to go. In the future, we can do more research in finding effective solution of word sparse.

# 4. Conclusion

The main innovative points of this paper is that we come up with a process improved method, which classify the Tang corpus by emotion at first, and then use matrix representation of words' semantic by "words-by-poetry categories" instead of "words-by-poems" ,finally decomposed it by single value decomposition as well.

So, what makes it different from others is that classified the poetry of corpus and implemented segmentation and statistics on each classification instead of each poem. With this process improvement, we can reduce the size of original matrix, so as to improve computational efficiency.

Experimental result of cosine of vectors in  $U_{m \times k} \times \Sigma_{k \times k}$  matrix shows that the similar distribution in categories of two words can show the similar emotion they have, so we can find associated words by this way. Meanwhile, cosine calculation of V matrix shows the relevance of poetry categories.

This method based on the simple syntax of Tang poetry which create by words with similar emotion, and design for semantic relatedness computing of Tang poetry not any modern Chinese article. So all of this provides the basis for establishment of words emotions related libraries and emotions unified judgment of automatically generated Tang poetry.

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